



**CENTURION DEFENCE ACADEMY**  
**NDA MATH MODEL PAPER**

Timing: 150 minutes

M.M: 300

**INSTRUCTION:-** Read questions carefully. For each wrong answer, one-third (0.883) of the marks assigned to that question will be deducted. Each question contains (2.5) marks. / प्रश्नों को ध्यानपूर्वक पढ़िए। प्रत्येक गलत उत्तर के लिए, दिए गए अंक का एक तिहाई (0.883) अंक काटे जायेगा। प्रत्येक प्रश्न (2.5) अंक का है।

- Let  $S$  be the set all persons living in Delhi. We say that  $x, y$  in  $S$  are related if they were born in Delhi on the same day. Which one of the following is correct? / एकु यहाँ, दिल्ली में जन्मे हुए सभी लोगों को  $S$  मानें। यदि  $x, y$   $S$  में हैं और वे दिल्ली में एक ही दिन जन्मे हुए हैं, तो  $x$  और  $y$  को  $S$  में सम्बन्धित मानें। निम्नलिखित में से सही विकल्प चुनिए।
  - The relation is an equivalent relation / संबंध तुल्य संबंध है।
  - The relation is not reflexive but it is symmetric and transitive / संबंध स्वतन्त्र है, परंतु यह सममिति और अंतर्विष्टता का गुण है।
  - The relation is not symmetric but it is reflexive and transitive / संबंध स्वतन्त्र है, परंतु यह सममिति का गुण नहीं है।
  - The relation is not transitive but it is reflexive and symmetric / संबंध स्वतन्त्र है, परंतु यह अंतर्विष्टता का गुण नहीं है।
- Let  $A = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$ . Then the number of subsets of  $A$  containing two or three elements is / एकु यहाँ,  $A = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$  है।  $A$  के दो या तीन तत्वों वाले उपसमूहों की संख्या ज्ञात करें।
  - 45
  - 120
  - 165
  - 330
- The value of  $i^{2n} + i^{2n+1} + i^{2n+2} + i^{2n+3}$ , where  $i = \sqrt{-1}$ , is /  $i^{2n} + i^{2n+1} + i^{2n+2} + i^{2n+3}$  का मान ज्ञात करें, जहाँ  $i = \sqrt{-1}$  है।
  - 0
  - 1
  - $i$
  - $-i$
- If the difference between the roots of the equation  $x^2 + kx + 1 = 0$  is strictly less than  $\sqrt{5}$ , where  $|k| \geq 2$ , then  $k$  can be any element of the interval / यदि  $x^2 + kx + 1 = 0$  के मूलों के अंतर  $\sqrt{5}$  से सख्त कम है, जहाँ  $|k| \geq 2$ , तो  $k$  किसी भी अंतराल का तत्व हो सकता है।
  - $(-3, -2] \cup [2, 3)$
  - $(-3, 3)$
  - $[-3, -2] \cup [2, 3]$
  - None of the above / उपरोक्त में से कोई नहीं।
- If the roots of the equation  $x^2 + px + q = 0$  are in the same ratio as those of the equation  $x^2 + lx + m = 0$ , then which one of the following is correct? / यदि  $x^2 + px + q = 0$  के मूलों का अनुपात  $x^2 + lx + m = 0$  के मूलों के अनुपात के समान है, तो निम्नलिखित में से सही विकल्प चुनिए।
  - $p^2m = l^2q$
  - $m^2p = l^2q$
  - $m^2p = q^2l$
  - $m^2p^2 = l^2q$

- The value of  $\left(\frac{-1+i\sqrt{3}}{2}\right)^n + \left(\frac{-1-i\sqrt{3}}{2}\right)^n$  where  $n$  is not a multiple of 3 and  $i = \sqrt{-1}$ , is /  $\left(\frac{-1+i\sqrt{3}}{2}\right)^n + \left(\frac{-1-i\sqrt{3}}{2}\right)^n$  का मान ज्ञात करें, जहाँ  $n$  3 का गुणज नहीं है और  $i = \sqrt{-1}$  है।
  - 1
  - 1
  - $i$
  - $-i$
- Three-digit numbers are formed from the digits 1, 2 and 3 in such a way that the digits are not repeated. What is the sum of such three-digit numbers? / 1, 2 और 3 से त्रि-अंकीय संख्याएँ बनाई जाती हैं जिनमें अंकों का दोहराव नहीं है। ऐसी संख्याओं का योग ज्ञात करें।
  - 1233
  - 1322
  - 1323
  - 1332
- What is the sum of the series  $0.3 + 0.33 + 0.333 + \dots$  to  $n$  terms? /  $0.3 + 0.33 + 0.333 + \dots$  के  $n$  पदों का योग ज्ञात करें।
  - $\frac{1}{3} \left[ n - \frac{1}{9} \left( 1 - \frac{1}{10^n} \right) \right]$
  - $\frac{1}{3} \left[ n - \frac{2}{9} \left( 1 - \frac{1}{10^n} \right) \right]$
  - $\frac{1}{3} \left[ n - \frac{1}{3} \left( 1 - \frac{1}{10^n} \right) \right]$
  - $\frac{1}{3} \left[ n - \frac{1}{9} \left( 1 + \frac{1}{10^n} \right) \right]$
- If  $1, \omega, \omega^2$  are the cube roots of unity, then  $(1 + \omega)(1 + \omega^2) + \omega^3(1 + \omega + \omega^2)$  is equal to / यदि  $1, \omega, \omega^2$  एकता के घन मूल हैं, तो  $(1 + \omega)(1 + \omega^2) + \omega^3(1 + \omega + \omega^2)$  का मान ज्ञात करें।
  - 2
  - 1
  - 0
  - 2
- If the sum of  $m$  terms of an AP is  $n$  and the sum of  $n$  terms is  $m$ , then the sum of  $(m + n)$  terms is / यदि  $m$  पदों का योग  $n$  है और  $n$  पदों का योग  $m$  है, तो  $(m + n)$  पदों का योग ज्ञात करें।
  - $mn$
  - $m + n$
  - $2(m + n)$
  - $-(m + n)$
- The modulus and principal argument of the complex number  $\frac{1+2i}{1-(1-i)^2}$  are respectively /  $\frac{1+2i}{1-(1-i)^2}$  के मूल्य और प्रमुख तर्क क्रमशः
  - 1, 0
  - 1, 1

(c) 2, 0

(d) 2, 1

12. If the graph of a quadratic polynomial lies entirely above  $x$ -axis, then which one of the following is correct? /; fn , d f?kkrh; cgn dk vkys[k I E i n k r %  $x = \sqrt{k}$  ds  $\Delta$  i j fLFkr gñ rks fuEufyf[kr es I s dku&I k I gh gñ
- (a) Both the roots are real /nkuk eiy okLrfod gñ  
(b) One root is real and the other is complex / , d eiy okLrfod o , d I fEJ gñ  
(c) Both the roots are complex /nkuk gh eiy I fEJ gñ  
(d) Cannot say /dgn ugha tk I drk

13. If  $|z + 4| \leq 3$ , then the maximum value of  $|z + 1|$  is /; fn  $|z + 4| \leq 3$  gñ rks  $|z + 1|$  dk vf/kdre eku D; k gñ
- (a) 0 (b) 4  
(c) 6 (d) 10

14. The number of roots of the equation  $z^2 = 2\bar{z}$  is /I ehdj .k ds eiyka dh I a; k fdruh gñ
- (a) 2 (b) 3  
(c) 4 (d) zero / शून्य

15. If  $\cot \alpha$  and  $\cot \beta$  are the roots of the equation  $x^2 + bx + c = 0$  with  $b \neq 0$ , then the value of  $\cot(\alpha + \beta)$  is /; fn  $x^2 + bx + c = 0$  I ehdj .k tgk  $b \neq 0$  ds eiy  $\cot \alpha$  o  $\cot \beta$  gñ rks  $\cot(\alpha + \beta)$  fdl ds cjkj gñ
- (a)  $\frac{c-1}{b}$  (b)  $\frac{1-c}{b}$   
(c)  $\frac{b}{c-1}$  (d)  $\frac{b}{1-c}$

16. The sum of the roots of the equation  $x^2 + bx + c = 0$  (where  $b$  and  $c$  are non-zero) is equal to the sum of the reciprocals of their squares. Then  $\frac{1}{c}, b, \frac{c}{b}$  are in / I ehdj .k  $x^2 + bx + c = 0$  tgk  $b$  vkj  $c$  शून्यत्तर हैं के eiyka dk ; kx mucs oxka ds 0; RDeka ds ; kx ds cjkj gñ rks  $\frac{1}{c}, b, \frac{c}{b}$  fdl Js kh es gñ
- (a) AP  
(b) GP  
(c) HP  
(d) None of the above /mi ; Dr es I s dkbz ugha

17. The sum of the roots of the equation  $ax^2 + x + c = 0$  (where  $a$  and  $c$  are non-zero) is equal to the sum of the reciprocals of their squares. Then  $a, ca^2, c^2$  are in /I ehdj .k  $ax^2 + x + c = 0$  (tgk  $a$  vkj  $c$  शून्यत्तर हैं) ds eiyka dk ; kx mucs oxka ds 0; RDeka ds ; kx ds cjkj gñ rks  $a, ca^2, c^2$  fdl Js kh es gñ
- (a) AP  
(b) GP  
(c) HP  
(d) None of the above /mi ; Dr es I s dkbz ugha

18. The value of  $[C(7, 0) + C(7, 1)] + [C(7, 1) + C(7, 2)] + \dots + [C(7, 6) + C(7, 7)]$  is /  $[C(7, 0) + C(7, 1)] + C(7, 1) + C(7, 2) + \dots + [C(7, 6) + C(7, 7)]$  fdl ds cjkj gñ
- (a) 254 (b) 255  
(c) 256 (d) 257

19. The number of different words (eight letter words) ending and beginning with a constant which can be made out of the letters of the word 'EQUATION' is /शब्द 'EQUATION' ds o. kka I s cuk, tk I dus okys vkB o. kka ds

विभिन्न शब्दों की संख्या क्या होगी जिनका आरम्भ व अंत एक 0; at u I s gkrk gñ

- (a) 5200 (b) 4320  
(c) 3000 (d) 2160

20. The fifth term of an AP of  $n$  terms, whose sum is  $n^2 - 2n$ , is /  $n$  i nka dh , d I ekarj Js kh (AP) fdl dk ; kx  $n^2 - 2n$  gñ dk i kpok i n fdl ds cjkj gñ
- (a) 5 (b) 7  
(c) 8 (d) 15

21. The sum of all the two-digit odd numbers is /nk&vadh; सभी विषम संख्याओं का योग किसके बराबर है\
- (a) 2475 (b) 2530  
(c) 4905 (d) 5049

22. The sum of the first  $n$  terms of the series  $\frac{1}{2} + \frac{3}{4} + \frac{7}{8} + \frac{15}{16} + \dots$  is equal to /Js kh  $\frac{1}{2} + \frac{3}{4} + \frac{7}{8} + \frac{15}{16} + \dots$  ds cFke  $n$  i nka dk ; kx fdl ds cjkj gñ
- (a)  $2^n - n - 1$  (b)  $1 - 2^{-n}$   
(c)  $2^{-n} + n - 1$  (d)  $2^n - 1$

23. Consider the following in respect of sets  $A$  and  $B$  : /I epp; ka  $A$  o  $B$  ds I Ecl/k es fuEufyf[kr ij fopkj dhft, %
1.  $(A - B) \cup B = A$   
2.  $(A - B) \cup A = A$   
3.  $(A - B) \cap B = \Phi$   
4.  $A \subseteq B \Rightarrow A \cup B = B$

Which of the above are correct? /mi ; Dr es I s dku&I k I gh gñ

- (a) 1, 2 and 3 /1, 2 vkj 3  
(b) 2, 3 and 4 /2, 3 vkj 4  
(c) 1, 3 and 4 /1, 3 vkj 4  
(d) 1, 2 and 4 /1, 2 vkj 4

24. In the binary equation  $(1p101)_2 + (10q1)_2 = (100r00)_2$  where  $p, q$  and  $r$  are binary digit, what are the possible values of  $p, q$  and  $r$  respectively? /, d f?vk/kjh I ehdj .k  $(1p101)_2 + (10q1)_2 = (100r00)_2$  tgk  $p, q$  o  $r$  f?vk/kjh vad gñ es  $p, q$  vkj  $r$  ds I hkkfor eku क्रमशः किसके बराबर हैं\
- (a) 0, 1, 0  
(b) 1, 1, 0  
(c) 0, 0, 1  
(d) 1, 0, 1

25. If  $S = \{x: x^2 + 1 = 0, x \text{ is real}\}$ , then  $S$  is /; fn  $S = \{x: x^2 + 1 = 0, x \text{ okLrfod gñ}\}$  rks  $S$  fdl ds cjkj gñ
- (a)  $\{-1\}$   
(b)  $\{0\}$   
(c)  $\{1\}$   
(d) an empty set /, d fj Dr I epp;

26. The expansion of  $(x - y)^n, n \geq 5$  is done in the descending powers of  $x$ . If the sum of the fifth and sixth terms is zero, then  $\frac{x}{y}$  is equal to /  $(x - y)^n, n \geq 5$  dk cI kj  $x$  dh ?kkr ds vojkggh De es fd; k x; k gñ ; fn i kpo o o छठे पदों का योग शून्य है, तो  $\frac{x}{y}$  fdl ds cjkj gñ
- (a)  $\frac{n-5}{6}$  (b)  $\frac{n-4}{5}$   
(c)  $\frac{5}{n-4}$  (d)  $\frac{6}{n-5}$

27. If  $A = \begin{bmatrix} \alpha & 2 \\ 2 & \alpha \end{bmatrix}$  and  $\det(A^3) = 125$ , then  $\alpha$  is equal to /

; fn  $A = \begin{bmatrix} \alpha & 2 \\ 2 & \alpha \end{bmatrix}$  vkj  $\det(A^3) = 125$  gñ rks  $\alpha$  fdl ds cjkckj gñ

- (a)  $\pm 1$  (b)  $\pm 2$   
(c)  $\pm 3$  (d)  $\pm 5$

28. If  $B$  is a non-singular matrix and  $A$  is a square matrix, then the value of  $\det(B^{-1}AB)$  is equal to / ; fn  $B$ ,  $d$

0;  $\det(B)$  vkj;  $\det(A)$  gñ vkj  $A$ ,  $d$  oxl vkj;  $\det(B^{-1}AB)$  dk eku fdl ds cjkckj gñ

- (a)  $\det(B)$  (b)  $\det(A)$   
(c)  $\det(B^{-1})$  (d)  $\det(A^{-1})$

29. If  $a \neq b \neq c$ , then one value of  $x$  which satisfies the

equation  $\begin{vmatrix} 0 & x-a & x-b \\ x+a & 0 & x-c \\ x+b & x+c & 0 \end{vmatrix} = 0$  is given by / ; fn

$a \neq b \neq c$  gñ rks  $x$  dk,  $d$ ,  $d$  k ekuj tks l ehdk.

$\begin{vmatrix} 0 & x-a & x-b \\ x+a & 0 & x-c \\ x+b & x+c & 0 \end{vmatrix} = 0$  को संतुष्ट करता है, किसके

cjkckj gñ

- (a)  $a$  (b)  $b$   
(c)  $c$  (d)  $0$

30. If  $A = \begin{bmatrix} \cos \alpha & \sin \alpha \\ -\sin \alpha & \cos \alpha \end{bmatrix}$  then what is  $AA^T$  equal to

(where  $A^T$  is the transpose of  $A$ ) ? / ; fn  $A =$

$\begin{bmatrix} \cos \alpha & \sin \alpha \\ -\sin \alpha & \cos \alpha \end{bmatrix}$  gñ rks  $AA^T$  fdl ds cjkckj gñ  $A^T, A$  dk ifjorl gñ

- (a) Null matrix / शून्य आव्यूह  
(b) Identity matrix / रRI ed vkj;  $\det$   
(c)  $A$   
(d)  $-A$

31. The equations  $x + 2y + 3z = 1$   
 $2x + y + 3z = 2$  / l ehdk.  
 $5x + 5y + 9z = 4$

- (a) have the unique solution / budk vf}rh; gy gñ  
(b) have infinitely many solutions / buds vuarr% vud gy gñ  
(c) are inconsistent / ; s vl  $\times$  gñ  
(d) None of the above / mi;  $\Phi$  r es l s dkbz ugha

32.  $A = \begin{bmatrix} x+y & y \\ x & x-y \end{bmatrix}$ ,  $B = \begin{bmatrix} 3 \\ -2 \end{bmatrix}$  and  $C = \begin{bmatrix} 4 \\ -2 \end{bmatrix}$ . If

$AB = C$ , then what is  $A^2$  equal to?

/  $A = \begin{bmatrix} x+y & y \\ x & x-y \end{bmatrix}$ ,  $B = \begin{bmatrix} 3 \\ -2 \end{bmatrix}$  vkj  $C = \begin{bmatrix} 4 \\ -2 \end{bmatrix}$  gñ ; fn

$AB = C$  gñ rks  $A^2$  fdl ds cjkckj gñ

- (a)  $\begin{bmatrix} 4 & 8 \\ -4 & -16 \end{bmatrix}$  (b)  $\begin{bmatrix} 4 & -4 \\ 8 & -16 \end{bmatrix}$   
(c)  $\begin{bmatrix} -4 & -8 \\ 4 & 12 \end{bmatrix}$  (d)  $\begin{bmatrix} -4 & -8 \\ 8 & 12 \end{bmatrix}$

33. What is the value of the determinant

$\begin{vmatrix} 1 & 1 & 1 \\ 1 & 1+xyz & 1 \\ 1 & 1 & 1+xyz \end{vmatrix}$  ? / l kjf.kd

$\begin{vmatrix} 1 & 1 & 1 \\ 1 & 1+xyz & 1 \\ 1 & 1 & 1+xyz \end{vmatrix}$  fdl ds cjkckj gñ

- (a)  $1 + x + y + z$   
(b)  $2xyz$   
(c)  $x^2y^2z^2$   
(d)  $2x^2y^2z^2$

34. If  $\begin{vmatrix} x & y & 0 \\ 0 & x & y \\ y & 0 & x \end{vmatrix} = 0$ , then which one of the following is

correct? / ; fn  $\begin{vmatrix} x & y & 0 \\ 0 & x & y \\ y & 0 & x \end{vmatrix} = 0$  gñ rks fuEufyf[kr es l s

dku&l k l gh gñ

- (a)  $\frac{x}{y}$  is one of the cube roots of unity /  $\frac{x}{y}$ , bdkbz ds ?kueyka es l s,  $d$  gñ  
(b)  $x$  is one of the cube roots of unity /  $x$ , bdkbz ds ?kueyka es l s,  $d$  gñ  
(c)  $y$  is one of the cube roots of unity /  $y$ , bdkbz ds ?kueyka es l s,  $d$  gñ  
(d)  $\frac{x}{y}$  is one of the cube roots of  $-1$  /  $\frac{x}{y}$ ,  $-1$  ds ?kueyka es l s,  $d$  gñ

35. Consider the set  $A$  of all matrices of order  $3 \times 3$  with entries 0 or 1 only. Let  $B$  be the subset of  $A$  consisting of all matrices whose determinant is 1. Let  $C$  be the subset of  $A$  consisting of all matrices whose determinant is -1.

Then which one of the following is correct? / dkfV  $3 \times 3$  ds l Hkh vkj;  $0$  vkfok  $1$  gñ ds l epp;  $A$  ij fopkj dhft,  $A$  eku yhfT, fd  $B, A$  dk,  $d$ ,  $d$  k mi l epp; gñ ftl es os l Hkh vkj;  $1$  gñ ftuds fu/kkj dka dk eku  $1$  gñ eku yhfT, fd  $C, A$  dk,  $d$ ,  $d$  k mi l epp; gñ ftl ds l Hkh vkj;  $-1$  gñ rks fuEufyf[kr es l s dku&l k l gh gñ

- (a)  $C$  is empty /  $C$  fjDr gñ  
(b)  $B$  has as many elements as  $C$  /  $B$  es mrus gh vo;  $0$  gñ ftrus fd  $C$  es  
(c)  $A = B \cup C$   
(d)  $B$  has thrice as many elements as  $C$  /  $B$  es  $C$  l s rhu xpk vo;  $0$  gñ

36. If  $A = \begin{bmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{bmatrix}$ , then what is  $A^3$  equal to? / ; fn If

$A = \begin{bmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{bmatrix}$  gñ rks  $A^3$  fdl ds cjkckj gñ

- (a)  $\begin{bmatrix} \cos 3\theta & \sin 3\theta \\ -\sin 3\theta & \cos 3\theta \end{bmatrix}$   
(b)  $\begin{bmatrix} \cos^3 \theta & \sin^3 \theta \\ -\sin^3 \theta & \cos^3 \theta \end{bmatrix}$   
(c)  $\begin{bmatrix} \cos 3\theta & -\sin 3\theta \\ \sin 3\theta & \cos 3\theta \end{bmatrix}$   
(d)  $\begin{bmatrix} \cos^3 \theta & -\sin^3 \theta \\ \sin^3 \theta & \cos^3 \theta \end{bmatrix}$

37. What is the order of  $\begin{bmatrix} x & y & z \\ a & h & g \\ h & b & f \\ g & f & c \end{bmatrix} \begin{bmatrix} x \\ y \\ z \end{bmatrix}$ ?

$\begin{bmatrix} x & y & z \\ a & h & g \\ h & b & f \\ g & f & c \end{bmatrix} \begin{bmatrix} x \\ y \\ z \end{bmatrix}$  dh dkrV %vkmj ½ D; k gN

- (a)  $3 \times 1$  (b)  $1 \times 1$   
(c)  $1 \times 3$  (d)  $3 \times 3$

38. If  $A = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$ , then the value of  $A^4$  is /; fn  $A = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$  gN rks  $A^4$  dk eku D; k gN

- (a)  $\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$  (b)  $\begin{bmatrix} 1 & 1 \\ 0 & 0 \end{bmatrix}$   
(c)  $\begin{bmatrix} 0 & 0 \\ 1 & 1 \end{bmatrix}$  (d)  $\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$

39. If  $\sin A = \frac{3}{5}$ , where  $450^\circ < A < 540^\circ$ , then  $\cos \frac{A}{2}$  is equal to /; fn  $\sin A = \frac{3}{5}$  gN tgk  $450^\circ < A < 540^\circ$  gN rc  $\cos \frac{A}{2}$  fdl ds cjkj gN

- (a)  $\frac{1}{\sqrt{10}}$   
(b)  $-\sqrt{\frac{3}{10}}$   
(c)  $\frac{\sqrt{3}}{\sqrt{10}}$   
(d) None of the above /mi ; D; r eN l s dkb l ugh

40. What is  $\frac{1}{\sin 10^\circ} - \frac{\sqrt{3}}{\cos 10^\circ} / \frac{1}{\sin 10^\circ} - \frac{\sqrt{3}}{\cos 10^\circ}$  fdl ds cjkj gN

- (a) 0 (b) 1  
(c) 2 (d) 4

41. From the top of a lighthouse, 100 m high, the angle of depression of a boat is  $\tan^{-1} \left( \frac{5}{12} \right)$ . What is the distance between the boat and the lighthouse? /100 m Åpkbl ds , d प्रकाश-स्तम्भ के शीर्ष से एक नाव का अवनमन-कोण  $\tan^{-1} \left( \frac{5}{12} \right)$  gN uko vkj प्रकाश-स्तम्भ के बीच की दूरी कितनी gN

- (a) 120 m (b) 180 m  
(c) 240 m (d) 360 m

42. The maximum value of  $\sin \left( x + \frac{\pi}{6} \right) + \cos \left( x + \frac{\pi}{6} \right)$  in the interval  $\left( 0, \frac{\pi}{2} \right)$  is attained at / $\sin \left( x + \frac{\pi}{6} \right) + \cos \left( x + \frac{\pi}{6} \right)$  dk vf/kdre eku  $\left( 0, \frac{\pi}{2} \right)$  ds varjky eN fdl fLFkr eN çkr gN

- (a)  $\frac{\pi}{12}$  (b)  $\frac{\pi}{6}$   
(c)  $\frac{\pi}{3}$  (d)  $\frac{\pi}{2}$

43. If  $K = \sin \left( \frac{\pi}{18} \right) \sin \left( \frac{5\pi}{18} \right) \sin \left( \frac{7\pi}{18} \right)$ , then what is the value of  $K$ ? /; fn  $K = \sin \left( \frac{\pi}{18} \right) \sin \left( \frac{5\pi}{18} \right) \sin \left( \frac{7\pi}{18} \right)$  gN rks  $K$  fdl ds cjkj gN

- (a)  $\frac{1}{2}$  (b)  $\frac{1}{4}$   
(c)  $\frac{1}{8}$  (d)  $\frac{1}{16}$

44. The expression  $\frac{\sin \alpha + \sin \beta}{\cos \alpha + \cos \beta}$  is equal to /; it d  $\frac{\sin \alpha + \sin \beta}{\cos \alpha + \cos \beta}$  fdl ds cjkj gN

- (a)  $\tan \left( \frac{\alpha + \beta}{2} \right)$  (b)  $\cot \left( \frac{\alpha + \beta}{2} \right)$   
(c)  $\sin \left( \frac{\alpha + \beta}{2} \right)$  (d)  $\cos \left( \frac{\alpha + \beta}{2} \right)$

45. If  $\sin \theta = 3 \sin(\theta + 2\alpha)$ , then the value of  $\tan(\theta + \alpha) + 2 \tan \alpha$  is equal to /; fn  $\sin \theta = 3 \sin(\theta + 2\alpha)$  gN rks  $\tan(\theta + \alpha) + 2 \tan \alpha$  dk eku fdl ds cjkj gN

- (a) -1 (b) 0  
(c) 1 (d) 2

46. What is the value of  $\tan 18^\circ$ ? /  $\tan 18^\circ$  fdl ds cjkj gN

- (a)  $\frac{\sqrt{5}-1}{\sqrt{10+2\sqrt{5}}}$  (b)  $\frac{\sqrt{5}-1}{\sqrt{10+\sqrt{5}}}$   
(c)  $\frac{\sqrt{10+2\sqrt{5}}}{\sqrt{5}-1}$  (d)  $\frac{\sqrt{10+\sqrt{5}}}{\sqrt{5}-1}$

47. Let  $x, y, z$  be positive real numbers such that  $x, y, z$  are in GP and  $\tan^{-1} x, \tan^{-1} y$  and  $\tan^{-1} z$  are in AP. Then which one of the following is correct? /eku yhf, fd  $x, y, z$  /kukRed okLrfod l ; k, j bl çdkj gN fd os GP eN gN vkj  $\tan^{-1} x, \tan^{-1} y$  rFkR rhuks AP eN gN rks fuEufyf[kr eN l s dkb l k l gh gN

- (a)  $x = y = z$   
(b)  $xz = 1$   
(c)  $x \neq y$  and  $y = z / x \neq y$  vkj  $y = z$   
(d)  $x = y$  and  $y \neq z / x = y$  vkj  $y \neq z$

48. If  $\tan(\alpha + \beta) = 2$  and  $\tan(\alpha - \beta) = 1$ , then  $\tan(2\alpha)$  is equal to /; fn  $\tan(\alpha + \beta) = 2$  vkj  $\tan(\alpha - \beta) = 1$  gN rks  $\tan(2\alpha)$  fdl ds cjkj gN

- (a) -3 (b) -2  
(c)  $-\frac{1}{3}$  (d) 1

49. Consider the following for triangle  $ABC$ : /f=Hkqt  $ABC$  ds fy, fuEufyf[kr ij fopkj dhft, %

- $\sin \left( \frac{B+C}{2} \right) = \cos \left( \frac{A}{2} \right)$
- $\tan \left( \frac{B+C}{2} \right) = \cot \left( \frac{A}{2} \right)$
- $\sin(B + C) = \cos(A)$
- $\tan(B + C) = -\cot(A)$

Which of the above are correct? /mi ; D; r eN l s dkb l k l gh gN

- (a) 1 and 3 /1 vkj 3  
(b) 1 and 2 /1 vkj 2  
(c) 1 and 4 /1 vkj 4  
(d) 2 and 3 /2 vkj 3

50. If  $\sec \theta - \operatorname{cosec} \theta = \frac{4}{3}$ , then what is  $(\sin \theta - \cos \theta)$  equal to? /; fn  $\sec \theta - \operatorname{cosec} \theta = \frac{4}{3}$  gN rks  $(\sin \theta - \cos \theta)$  fdl ds cjkj gN

- (a) -2 only /doy -2  
(b)  $\frac{1}{2}$  only /doy  $\frac{1}{2}$   
(c) Both -2 and  $\frac{1}{2} / -2$  vkj  $\frac{1}{2}$  nkuka  
(d) Neither  $\frac{1}{2}$  nor -2 /u rks  $\frac{1}{2}$  u gh -2

51. If a vertex of a triangle is  $(1, 1)$  and the midpoints of two sides of the triangle through this vertex are  $(-1, 2)$  and  $(3, 2)$ , then the centroid of the triangle is /; fn fdl h

- त्रिभुज का एक शीर्ष  $(1, 1)$  है और इस शीर्ष से होकर जाने वाली nkuka Hkqt kvka ds e/; fcnq  $(-1, 2)$  o  $(3, 2)$  gN rks f=Hkqt dk dldæd gksk  
(a)  $\left( -\frac{1}{3}, \frac{7}{3} \right)$  (b)  $\left( -1, \frac{7}{3} \right)$   
(c)  $\left( \frac{1}{3}, \frac{7}{3} \right)$  (d)  $\left( 1, \frac{7}{3} \right)$

52. The incentre of the triangle with vertices  $A(1, \sqrt{3})$ ,  $B(0, 0)$  and  $C(2, 0)$  is / यदि त्रिभुज, जिसके शीर्ष  $A(1, \sqrt{3})$ ,  $B(0, 0)$  व  $C(2, 0)$  हैं, तो इसके अन्तःकेन्द्र का निर्देशांक क्या है
- (a)  $(1, \frac{\sqrt{3}}{2})$  (b)  $(\frac{2}{3}, \frac{1}{\sqrt{3}})$   
(c)  $(\frac{2}{3}, \frac{\sqrt{3}}{2})$  (d)  $(1, \frac{1}{\sqrt{3}})$
53. If the three consecutive vertices of a parallelogram are  $(-2, -1)$ ,  $(1, 0)$  and  $(4, 3)$ , then what are the coordinates of the fourth vertex? / यदि एक समांतर चतुर्भुज के तीन क्रमागत शीर्ष  $(-2, -1)$ ,  $(1, 0)$  व  $(4, 3)$  हैं, तो चौथे शीर्ष का निर्देशांक क्या है
- (a)  $(1, 2)$  (b)  $(1, 0)$   
(c)  $(0, 0)$  (d)  $(1, -1)$
54. The two circles  $x^2 + y^2 = r^2$  and  $x^2 + y^2 - 10x + 16 = 0$  intersect at two distinct points. Then which one of the following is correct? / दो वृत्त  $x^2 + y^2 = r^2$  व  $x^2 + y^2 - 10x + 16 = 0$  दो अलग-अलग बिंदुओं पर प्रतिच्छेदित हैं। निम्नलिखित में से सही कौन सा है
- (a)  $2 < r < 8$  (b)  $r = 2$  or  $r = 8$   
(c)  $r < 2$  (d)  $r > 2$
55. What is the equation of the circle which passes through the points  $(3, -2)$  and  $(-2, 0)$  and having its centre on the line  $2x - y - 3 = 0$ ? / एक वृत्त का समीकरण ज्ञात करें जो बिंदु  $(3, -2)$  व  $(-2, 0)$  से गुजरता है और जिसका केंद्र रेखा  $2x - y - 3 = 0$  पर स्थित है
- (a)  $x^2 + y^2 + 3x + 2 = 0$   
(b)  $x^2 + y^2 + 3x + 12y + 2 = 0$   
(c)  $x^2 + y^2 + 2x = 0$   
(d)  $x^2 + y^2 = 5$
56. What is the ratio in which the point  $C(-\frac{2}{7}, \frac{20}{7})$  divides the line joining the points  $A(-2, -2)$  and  $B(2, -4)$ ? / बिंदु  $C(-\frac{2}{7}, \frac{20}{7})$  बिंदु  $A(-2, -2)$  व  $B(2, -4)$  को जोड़ने वाली रेखा को किस अनुपात में विभाजित करता है
- (a) 1 : 3 (b) 3 : 4  
(c) 1 : 2 (d) 2 : 3
57. What is the equation of the ellipse having foci  $(\pm 2, 0)$  and the eccentricity  $\frac{1}{4}$ ? / एक दीर्घवृत्त का समीकरण ज्ञात करें जिसके फोकस  $(\pm 2, 0)$  हों और अभिजात  $\frac{1}{4}$  हो
- (a)  $\frac{x^2}{64} + \frac{y^2}{60} = 1$   
(b)  $\frac{x^2}{60} + \frac{y^2}{64} = 1$   
(c)  $\frac{x^2}{20} + \frac{y^2}{24} = 1$   
(d)  $\frac{x^2}{24} + \frac{y^2}{20} = 1$
58. What is the equation of the straight line parallel to  $2x + 3y + 1 = 0$  and passes through the point  $(-1, 2)$ ? / एक रेखा का समीकरण ज्ञात करें जो रेखा  $2x + 3y + 1 = 0$  के समांतर हो और बिंदु  $(-1, 2)$  से गुजरती हो
- (a)  $2x + 3y - 4 = 0$   
(b)  $2x + 3y - 5 = 0$   
(c)  $x + y - 1 = 0$   
(d)  $3x - 2y + 7 = 0$
59. What is the acute angle between the pair of straight lines  $\sqrt{2}x + \sqrt{3}y = 1$  and  $\sqrt{3}x + \sqrt{2}y = 2$ ? / दो रेखाओं  $\sqrt{2}x + \sqrt{3}y = 1$  व  $\sqrt{3}x + \sqrt{2}y = 2$  के बीच का अक्षुब्ध कोण क्या है
- (a)  $\tan^{-1}(\frac{1}{2\sqrt{6}})$  (b)  $\tan^{-1}(\frac{1}{\sqrt{2}})$   
(c)  $\tan^{-1}(3)$  (d)  $\tan^{-1}(\frac{1}{\sqrt{3}})$
60. If the centroid of a triangle formed by  $(7, x)$ ,  $(y, -6)$  and  $(9, 10)$  is  $(6, 3)$ , then the values of  $x$  and  $y$  are respectively / यदि एक त्रिभुज के शीर्ष  $(7, x)$ ,  $(y, -6)$  व  $(9, 10)$  हैं और इसके केंद्रक  $(6, 3)$  है, तो  $x$  व  $y$  के मान क्रमशः क्या हैं
- (a) 5, 2 (b) 2, 5  
(c) 1, 0 (d) 0, 0
61. A straight line with direction cosines  $(0, 1, 0)$  is / एक रेखा जिसकी दिक्ज्या  $(0, 1, 0)$  है
- (a) parallel to  $x$ -axis /  $x$ -अक्ष के समांतर है  
(b) parallel to  $y$ -axis /  $y$ -अक्ष के समांतर है  
(c) parallel to  $z$ -axis /  $z$ -अक्ष के समांतर है  
(d) equally inclined to all the axes / सभी अक्षों से बराबर कोण बनाती है
62.  $(0, 0, 0)$ ,  $(a, 0, 0)$ ,  $(0, b, 0)$  and  $(0, 0, c)$  are four distinct points. What are the coordinates of the point which is equidistant from the four points? / बिंदु  $(0, 0, 0)$ ,  $(a, 0, 0)$ ,  $(0, b, 0)$  व  $(0, 0, c)$  चारों बिंदुओं से एकसमान दूरी पर हैं। इन बिंदुओं का निर्देशांक क्या है
- (a)  $(\frac{a+b+c}{3}, \frac{a+b+c}{3}, \frac{a+b+c}{3})$   
(b)  $(a, b, c)$   
(c)  $(\frac{a}{2}, \frac{b}{2}, \frac{c}{2})$   
(d)  $(\frac{a}{3}, \frac{b}{3}, \frac{c}{3})$
63. The points  $P(3, 2, 4)$ ,  $Q(4, 5, 2)$ ,  $R(5, 8, 0)$  and  $S(2, -1, 6)$  are / बिंदु  $P(3, 2, 4)$ ,  $Q(4, 5, 2)$ ,  $R(5, 8, 0)$  व  $S(2, -1, 6)$
- (a) vertices of rhombus which is not a square / एक समचतुर्भुज के शीर्ष हैं जो एक वर्ग नहीं हैं  
(b) non-coplanar / असमतलीय हैं  
(c) collinear / एक रेखा पर स्थित हैं  
(d) coplanar but not collinear / समतलीय हैं परंतु एक रेखा पर स्थित नहीं हैं
64. The line passing through the points  $(1, 2, -1)$  and  $(3, -1, 2)$  meets the  $yz$ -plane at which one of the following points? / बिंदु  $(1, 2, -1)$  व  $(3, -1, 2)$  से गुजरने वाली रेखा  $yz$ -तल को किस बिंदु पर प्रतिच्छेदित करती है
- (a)  $(0, -\frac{7}{2}, \frac{5}{2})$  (b)  $(0, \frac{7}{2}, \frac{1}{2})$   
(c)  $(0, -\frac{7}{2}, -\frac{5}{2})$  (d)  $(0, \frac{7}{2}, -\frac{5}{2})$
65. Under which one of the following conditions are the lines  $x = ay + b$ ;  $z = cy + d$  and  $x = ey + f$ ;  $z = gy + h$  perpendicular? / दो रेखाएँ  $x = ay + b$ ;  $z = cy + d$  व  $x = ey + f$ ;  $z = gy + h$  परस्पर लंबकालीन होंगी यदि
- (a)  $ae + cg - 1 = 0$   
(b)  $ae + bf - 1 = 0$   
(c)  $ae + cg + 1 = 0$

(d)  $ag + ce + 1 = 0$

66. If  $\vec{a} = \hat{i} - \hat{j} + \hat{k}$ ,  $\vec{b} = 2\hat{i} + 3\hat{j} + 2\hat{k}$  and  $\vec{c} = \hat{i} + m\hat{j} + n\hat{k}$  are three coplanar vectors and  $|\vec{c}| = \sqrt{6}$ , then which one of the following is correct? /  $\vec{a} = \hat{i} - \hat{j} + \hat{k}$ ,  $\vec{b} = 2\hat{i} + 3\hat{j} + 2\hat{k}$  वरु  $\vec{c} = \hat{i} + m\hat{j} + n\hat{k}$  रतु l erylh; सदरश हँ और  $|\vec{c}| = \sqrt{6}$  गुर rks fuEufyf [kr es l s dku&l k , d l gh gA
- (a)  $m = 2$  and  $n = \pm 1 / m = 2$  वरु  $n = \pm 1$   
 (b)  $m = \pm 2$  and  $n = -1 / m = \pm 2$  वरु  $n = -1$   
 (c)  $m = 2$  and  $n = -1 / m = 2$  वरु  $n = -1$   
 (d)  $m = \pm 2$  and  $n = 1 / m = \pm 2$  वरु  $n = 1$

67. Let ABCD be a parallelogram whose diagonals intersect at P and let O be the origin. What is  $\vec{OA} + \vec{OB} + \vec{OC} + \vec{OD}$  equal to? / eku yhf, fd ABCD, d l ekarj prkkt gA ft l ds fod. l P ij cfrPNn d jrs gA rFk eku yhf, fd O eyfclnq गुर rks fd l ds cjkj gA
- (a)  $2\vec{OP}$  (b)  $4\vec{OP}$   
 (c)  $6\vec{OP}$  (d)  $8\vec{OP}$

68. ABCD is a quadrilateral whose diagonals are AC and BD. Which one of the following is correct? / ABCD, d prkkt gA ft l dk fod. l AC वरु BD गA fuEufyf [kr es l s dku&l k , d l gh gA
- (a)  $\vec{BA} + \vec{CD} = \vec{AC} + \vec{DB}$   
 (b)  $\vec{BA} + \vec{CD} = \vec{BD} + \vec{CA}$   
 (c)  $\vec{BA} + \vec{CD} = \vec{AC} + \vec{BD}$   
 (d)  $\vec{BA} + \vec{CD} = \vec{BC} + \vec{AD}$

69. If  $\vec{a} \times \vec{b} = \vec{c}$  and  $\vec{b} \times \vec{c} = \vec{a}$ , then which one of the following is correct? /  $\vec{a} \times \vec{b} = \vec{c}$  वरु  $\vec{b} \times \vec{c} = \vec{a}$  गुर rks fuEufyf [kr es l s dku&l k , d l gh gA
- (a)  $\vec{a}, \vec{b}, \vec{c}$  are orthogonal in pairs and  $|\vec{a}| = |\vec{c}|$  and  $|\vec{b}| = 1 / \vec{a}, \vec{b}, \vec{c}$  ;  $\vec{a}, \vec{b}, \vec{c}$  ;  $\vec{a}, \vec{b}, \vec{c}$  ; गुर वरु  $|\vec{a}| = |\vec{c}|$  rFk  $|\vec{b}| = 1$   
 (b)  $\vec{a}, \vec{b}, \vec{c}$  are non-orthogonal to each other /  $\vec{a}, \vec{b}, \vec{c}$  ij l j v ycdks kh; गुर  
 (c)  $\vec{a}, \vec{b}, \vec{c}$  are orthogonal in pairs but  $|\vec{a}| \neq |\vec{c}| / \vec{a}, \vec{b}, \vec{c}$  ;  $\vec{a}, \vec{b}, \vec{c}$  ; गुर fd l r q  $|\vec{a}| \neq |\vec{c}|$   
 (d)  $\vec{a}, \vec{b}, \vec{c}$  are orthogonal in pairs but  $|\vec{b}| \neq 1 / \vec{a}, \vec{b}, \vec{c}$  ;  $\vec{a}, \vec{b}, \vec{c}$  ; गुर fd l r q  $|\vec{b}| \neq 1$

70. If  $\vec{a} = 2\hat{i} + 3\hat{j} + 4\hat{k}$  and  $\vec{b} = 3\hat{i} + 2\hat{j} - \lambda\hat{k}$  are perpendicular, then what is the value of  $\lambda$ ? /  $\vec{a} = 2\hat{i} + 3\hat{j} + 4\hat{k}$  वरु  $\vec{b} = 3\hat{i} + 2\hat{j} - \lambda\hat{k}$  yd गुर rks  $\lambda$  dk eku D; k gA
- (a) 2 (b) 3  
 (c) 4 (d) 5

71. What is  $\lim_{x \rightarrow 0} \frac{e^x - (1+x)}{x^2}$  equal to? /  $\lim_{x \rightarrow 0} \frac{e^x - (1+x)}{x^2}$  fd l ds cjkj gA
- (a) 0 (b)  $\frac{1}{2}$   
 (c) 1 (d) 2

72. What is  $\int_0^{\frac{\pi}{2}} \frac{d\theta}{1+\cos \theta}$  equal to? /  $\int_0^{\frac{\pi}{2}} \frac{d\theta}{1+\cos \theta}$  fd l ds cjkj gA
- (a)  $\frac{1}{2}$  (b) 1

- (c)  $\sqrt{3}$  (d) None of the above

73. What is  $\int \frac{dx}{x(x^7+1)}$  equal to? /  $\int \frac{dx}{x(x^7+1)}$  fd l ds cjkj gA
- (a)  $\frac{1}{2} \ln \left| \frac{x^7-1}{x^7+1} \right| + c$   
 (b)  $\frac{1}{7} \ln \left| \frac{x^7+1}{x^7} \right| + c$   
 (c)  $\ln \left| \frac{x^7-1}{7x} \right| + c$   
 (d)  $\frac{1}{7} \ln \left| \frac{x^7}{x^7+1} \right| + c$

74. The function  $f: X \rightarrow Y$  defined by  $f(x) = \cos x$ , where  $x \in X$ , is one-one and onto if X and Y are respectively equal to / X वरु Y ds क्रमशः fdu ekuk ds fy, Qyu  $f: X \rightarrow Y$  tks  $f(x) = \cos x$  द्वारा नररररत हँ, जहर  $x \in X$  गुर, d d h वरु v k P N k n d g k x k \
- (a)  $[0, \pi]$  and  $[-1, 1] / [0, \pi]$  वरु  $[-1, 1]$   
 (b)  $\left[-\frac{\pi}{2}, \frac{\pi}{2}\right]$  and  $[-1, 1] / \left[-\frac{\pi}{2}, \frac{\pi}{2}\right]$  वरु  $[-1, 1]$   
 (c)  $[0, \pi]$  and  $(-1, 1) / [0, \pi]$  वरु  $(-1, 1)$   
 (d)  $[0, \pi]$  and  $[0, 1] / [0, \pi]$  वरु  $[0, 1]$

75. If  $f(x) = \frac{x}{x-1}$ , then what is  $\frac{f(a)}{f(a+1)}$  equal to? /  $\vec{a}$

- $f(x) = \frac{x}{x-1}$  गुर rks  $\frac{f(a)}{f(a+1)}$  fd l ds cjkj gA
- (a)  $f\left(-\frac{a}{a+1}\right)$  (b)  $f(a^2)$   
 (c)  $f\left(\frac{1}{a}\right)$  (d)  $f(-a)$

76. What is  $\int \frac{(x^{e-1} + e^{x-1})dx}{-x^e + e^x}$  equal to? /  $\int \frac{(x^{e-1} + e^{x-1})dx}{-x^e + e^x}$  fd l ds cjkj gA
- (a)  $\frac{x^2}{2} + c$   
 (b)  $\ln(x + e) + c$   
 (c)  $\ln(x^e + e^x) + c$   
 (d)  $\frac{1}{e} \ln(x^e + e^x) + c$

77. Let  $f: [-6, 6] \rightarrow \mathbf{R}$  be defined by  $f(x) = x^2 - 3$ . Consider the following: / eku yhf, fd  $f: [-6, 6] \rightarrow \mathbf{R}$  gA tks fd  $f(x) = x^2 - 3$  द्वारा नररररत हँ। नरनरररररर पर fopkj dhft, %

1.  $(f \circ f \circ f)(-1) = (f \circ f \circ f)(1)$   
 2.  $(f \circ f \circ f)(-1) - 4(f \circ f \circ f)(1) = (f \circ f)(0)$

- Which of the above is/are correct? / m i ;  $\vec{a}$  r es l s dku&l k @ l s l gh gA gA
- (a) 1 Only / d o y 1  
 (b) 2 Only / d o y 2  
 (c) Both 1 and 2 / 1 वरु 2 nkuka  
 (d) Neither 1 nor 2 / u rks 1] u gh 2

78. Let  $f(x) = px + q$  and  $g(x) = mx + n$ . Then  $f(g(x)) = g(f(x))$  is equivalent to / eku yhf, fd  $f(x) = px + q$  वरु  $g(x) = mx + n$  गुर rks fd l ds r q ; गA

- (a)  $f(p) = g(m)$  (b)  $f(q) = g(n)$   
 (c)  $f(n) = g(q)$  (d)  $f(m) = g(p)$

79. If  $F(x) = \sqrt{9 - x^2}$ , then what is  $\lim_{x \rightarrow 1} \frac{F(x) - F(1)}{x-1}$  equal to? /  $\vec{a}$   $F(x) = \sqrt{9 - x^2}$  गुर rks  $\lim_{x \rightarrow 1} \frac{F(x) - F(1)}{x-1}$  fd l ds cjkj gA

- (a)  $-\frac{1}{4\sqrt{2}}$  (b)  $\frac{1}{8}$   
 (c)  $-\frac{1}{2\sqrt{2}}$  (d)  $\frac{1}{2\sqrt{2}}$

80. What is  $\frac{d^2x}{dy^2}$  equal to? /  $\frac{d^2x}{dy^2}$  fdl ds cjkj gñ

- (a)  $-\left(\frac{d^2y}{dx^2}\right)^{-1}\left(\frac{dy}{dx}\right)^{-3}$   
 (b)  $\left(\frac{d^2y}{dx^2}\right)^{-1}\left(\frac{dy}{dx}\right)^{-2}$   
 (c)  $-\left(\frac{d^2y}{dx^2}\right)\left(\frac{dy}{dx}\right)^{-3}$   
 (d)  $\left(\frac{d^2y}{dx^2}\right)^{-1}$

81. Let  $f(x): \begin{cases} x, & x \text{ is rational} \\ 0, & x \text{ is irrational} \end{cases}$  and

$g(x): \begin{cases} 0, & x \text{ is rational} \\ x, & x \text{ is irrational} \end{cases}$ . If  $f: R \rightarrow R$  and  $g: R \rightarrow R$ ,

then  $(f - g)$  is / eku ylf t,  $f(x): \begin{cases} x, & x \text{ is rational} \\ 0, & x \text{ is irrational} \end{cases}$

vkj  $g(x): \begin{cases} 0, & x \text{ is rational} \\ x, & x \text{ is irrational} \end{cases}$ ; fn  $f: R \rightarrow R$  vkj

$g: R \rightarrow R$  gñ rks  $(f - g)$  gñ

- (a) one-one and into / , dñh vkj buvq  
 (b) neither one-one nor onto / u rks , dñh u gh vkPNknd  
 (c) many-one and onto / cgñ, d vkj vkPNknd  
 (d) one-one and onto / , dñh vkj vkPNknd

82. What is the length of the longest interval in which the function  $f(x) = 3 \sin x - 4 \sin^3 x$  is increasing? / , d nh?ñre varjky dh yEckb D; k gñ ftl ea Qyu  $f(x) =$

$3 \sin x - 4 \sin^3 x$  o/këku gñ

- (a)  $\frac{\pi}{3}$  (b)  $\frac{\pi}{2}$   
 (c)  $\frac{3\pi}{2}$  (d)  $\pi$

83. If  $x dy = y(dx + ydy)$ ;  $y(1) = 1$  and  $y(x) > 0$ , then what is  $y(-3)$  equal to? / ; fn  $x dy = y(dx + ydy)$ ;  $y(1) = 1$  vkj  $y(x) > 0$  gñ rks  $y(-3)$  fdl ds cjkj gñ

- (a) 3 (b) 2  
 (c) 1 (d) 0

84. What is the maximum value of the function  $f(x) = 4 \sin^2 x + 1$ ? / Qyu  $f(x) = 4 \sin^2 x + 1$  dk vf/kdre eku D; k gñ

- (a) 5 (b) 3  
 (c) 2 (d) 1

85. Let  $f(x)$  be an indefinite integral of  $\sin^2 x$ . Consider the following statements: / मान लीजिए का एक निश्चित समाकल gñ fuEufyf[kr dFku ij fopkj dhft, %

**Statement 1:** The function  $f(x)$  satisfies  $f(x + \pi) = f(x)$  for all real  $x$ . / Qyu  $f(x)$  संतुष्ट करता है  $f(x + \pi) = f(x)$  dkj l Hkh okLrfod  $x$  ds fy, A

**Statement 2:**  $\sin^2(x + \pi) = \sin^2 x$  for all real  $x$ . / l Hkh okLrfod  $x$  ds fy, A

Which one of the following is correct in respect of the above statements? / mi; ðr dFku ds l nhk ea fuEufyf[kr ea l s dñu&l k , d l gh gñ

- (a) Both the statements are true and Statement 2 is the correct explanation of Statement 1. / nkuka dFku l gh gñ और कथन 2, कथन 1 का सही स्पष्टीकरण है  
 (b) Both the statements are true but Statement 2 is not the correct explanation of Statement 1 / nkuka dFku l gh हैं, किन्तु कथन 2, कथन 1 का सही स्पष्टीकरण नहीं है

(c) Statement 1 is true but Statement 2 is false / dFku 1 l gh gñ fdlurq dFku 2 xyr gñ

(d) Statement 1 is false but Statement 2 is true / dFu 1 xyr gñ fdlurq dFku 2 l gh gñ

86. What are the degree and order respectively of the

differential equation  $y = x \left(\frac{dy}{dx}\right)^2 + \left(\frac{dx}{dy}\right)^2$ ? / vody

l eh d j . k  $y = x \left(\frac{dy}{dx}\right)^2 + \left(\frac{dx}{dy}\right)^2$  dh fMxh vkj dñv क्रमशः

D; k gñ

- (a) 1, 2 (b) 2, 1  
 (c) 1, 4 (d) 4, 1

87. What is the differential equation corresponding to

$y^2 - 2ay + x^2 = a^2$  by eliminating  $a$ ? / a dk foyki u djus ij  $y^2 - 2ay + x^2 = a^2$  dk l ñr vody l eh d j . k

D; k gñ

- (a)  $(x^2 - 2y^2)p^2 - 4pxy - x^2 = 0$   
 (b)  $(x^2 - 2y^2)p^2 + 4pxy - x^2 = 0$   
 (c)  $(x^2 + 2y^2)p^2 - 4pxy - x^2 = 0$   
 (d)  $(x^2 + 2y^2)p^2 - 4pxy + x^2 = 0$  where  $p = \frac{dy}{dx}$

88. What is the general solution of the differential equation

$ydx - (x + 2y^2)dy = 0$  / vody l eh d j . k  $ydx - (x + 2y^2)dy = 0$  dk 0; ki d gy D; k gñ

- (a)  $x = y^2 + cy$   
 (b)  $x = 2cy^2$   
 (c)  $x = 2y^2 + cy$   
 (d) none of the above / mi; ðr ea l s dñb l ugha

89. Let  $f(x + y) = f(x)f(y)$  for all  $x$  and  $y$ . Then what is  $f'(5)$  equal to [where  $f'(x)$  is the derivative of  $f(x)$ ]? / eku ylf t, fd l Hkh  $x$  vkj  $y$  ds fy,  $f(x + y) = f(x)f(y)$  gñ rks  $f'(5)$  fdl ds cjkj gñ [tgñ  $f'(x)$ ] dk vodyt  $f(x)$  gñ?

- (a)  $f(5)f'(0)$   
 (b)  $f(5) - f'(0)$   
 (c)  $f(5)f(0)$   
 (d)  $f(5) + f'(0)$

90. If  $f(x)$  and  $g(x)$  are continuous functions satisfying  $f(x) = f(a - x)$  and  $g(x) + g(a - x) = 2$ , then what is  $\int_0^a f(x)g(x) dx$  equal to? / ; fn  $f(x)$  vkj  $g(x)$

$g(x) = f(a - x)$  और को संतुष्ट करने वाले संतत फलन हैं, rks  $\int_0^a f(x)g(x) dx$  fdl ds cjkj gñ

- (a)  $\int_0^a g(x) dx$  (b)  $\int_0^a f(x) dx$   
 (c)  $2 \int_0^a f(x) dx$  (d) 0

91. What is the solution of the differential equation

$\ln\left(\frac{dy}{dx}\right) - a = 0$  / vody l eh d j . k  $\ln\left(\frac{dy}{dx}\right) - a = 0$  dk gy D; k gñ

- (a)  $y = xe^a + c$  (b)  $x = ye^a + c$   
 (c)  $y = \ln x + c$  (d)  $x = \ln y + c$

92. Let  $f(x)$  be defined as follows:

$f(x) = \begin{cases} 2x + 1 & -3 < x < -2 \\ x - 1 & -2 \leq x < 0 \\ x + 2 & 0 \leq x < 1 \end{cases}$  / eku ylf t, fd

fuEukuñ kj fu/kñj r gñ  $f(x) = \begin{cases} 2x + 1 & -3 < x < -2 \\ x - 1 & -2 \leq x < 0 \\ x + 2 & 0 \leq x < 1 \end{cases}$

Which one of the following statements is correct in respect of the above function? / mi ; Dr Qyu ds l UnHkz es fuEufyf [kr dFkuka es l s dku&l k l gh gN

- (a) It is discontinuous at  $x = -2$  but continuous at every other point. / ; g  $x = -2$  ij vl rrr gN yfdu qR; d vl; fclnq ij l rrr gN
- (b) It is continuous only in the interval  $(-3, -2)$  / ; g dny vrjky  $(-3, -2)$  es l rrr gN
- (c) It is discontinuous at  $x = 0$  but continuous at every other point. / ; g  $x = 0$  ij vl rrr gN yfdu qR; d vl; fclnq ij l rrr gN
- (d) It is discontinuous at every point. / ; g qR; d fclnq ij vl rrr gN

93. Consider the following statements: / fuEufyf [kr dFkuka ij fopkj dhft, %

1. If  $\lim_{x \rightarrow a} f(x)$  and  $\lim_{x \rightarrow a} g(x)$  both exist, then  $\lim_{x \rightarrow a} \{f(x)g(x)\}$  exists. / ; fn  $\lim_{x \rightarrow a} f(x)$  vkj  $\lim_{x \rightarrow a} g(x)$  nkuka fo | eku gN rks  $\lim_{x \rightarrow a} \{f(x)g(x)\}$  fo | eku gN
2. If  $\lim_{x \rightarrow a} \{f(x)g(x)\}$  exists, then both  $\lim_{x \rightarrow a} f(x)$  and  $\lim_{x \rightarrow a} g(x)$  must exist. / ; fn  $\lim_{x \rightarrow a} \{f(x)g(x)\}$  fo | eku gN rks  $\lim_{x \rightarrow a} f(x)$  vkj  $\lim_{x \rightarrow a} g(x)$  दोनों अवश्य fo | eku gN

Which of the above statements is/are correct? / mi ; Dr dFkuka es l s dku&l k@l s l gh gN

- (a) 1 only / dny 1
- (b) 2 only / dny 2
- (c) Both 1 and 2 / 1 vkj 2 nkuka
- (d) Neither 1 nor 2 / u rks 1] u gh 2

94. Which one of the following functions is neither even nor odd? / fuEufyf [kr Qyuka es l s dku&l k , d u rks l e gN rks ही विषम।

- (a)  $x^2 - 1$  (b)  $x + \frac{x}{3}$
- (c)  $|x|$  (d)  $x^2(x - 3)$

95. What is the derivative of  $\log_{10}(5x^2 + 3)$  with respect to  $x$ ? /  $\log_{10}(5x^2 + 3)$  dk x ds l ki qk vodyt D; k gN

- (a)  $\frac{x \log_{10} e}{5x^2 + 3}$  (b)  $\frac{2x \log_{10} e}{5x^2 + 3}$
- (c)  $\frac{10x \log_{10} e}{5x^2 + 3}$  (d)  $\frac{10x \log_e 10}{5x^2 + 3}$

96. Let  $f(a) = \frac{a-1}{a+1}$ . Consider the following: / eku yhft, fd  $f(a) = \frac{a-1}{a+1}$  gN

1.  $f(2a) = f(a) + 1$
2.  $f\left(\frac{1}{a}\right) = -f(a)$

Which of the above is/are correct? / mi ; Dr es l s dku&l k@l s l gh gN

- (a) 1 only / dny 1
- (b) 2 only / dny 2
- (c) both 1 and 2 / 1 vkj 2 nkuka
- (d) neither 1 nor 2 / u rks 1] u gh 2

97. What is the maximum area of a triangle that can be inscribed in a circle of radius  $a$ ? /  $a = R$ ; k okys orR ds vlnj  $\frac{1}{2} \times r \times h$  cuk, tk l dus okys f=Hkt dk vf/kdre  $\{k=Qy D; k gN$

- (a)  $\frac{3a^2}{4}$  (b)  $\frac{a^2}{2}$

- (c)  $\frac{3\sqrt{3}a^2}{4}$  (d)  $\frac{\sqrt{3}a^2}{4}$

98. Let  $f(x) = x + \frac{1}{x}$ , where  $x \in (0, 1)$ . Then which one of the following is correct? / eku yhft, fd  $f(x) = x + \frac{1}{x}$  gN tgk  $x \in (0, 1)$  gN rks fuEufyf [kr es l s dku&l k , d l gh gN

- (a)  $f(x)$  fluctuates in the interval / vrjky es ?kvrk&c<rk gN
- (b)  $f(x)$  increases in the interval / vrjky es o/keku gN
- (c)  $f(x)$  decreases in the interval / vrjky es gkl eku gN
- (d) None of the above / mi ; Dr es l s dku&l ugha

99. Suppose the function  $f(x) = x^n$ ,  $n \neq 0$  is differentiable for all  $x$ . Then  $n$  can be any element of the interval / eku yhft, fd Qyu  $f(x) = x^n$ ,  $n \neq 0$  qR; d  $x$  ds fy, vodyuh; gN rks  $n$  fdl vrjky dk dkbz vo; o gk l drk gN

- (a)  $[1, \infty)$  (b)  $(0, \infty)$
- (c)  $\left(\frac{1}{2}, \infty\right)$  (d) None of the above

100. What is  $\int_{e^{-1}}^{e^2} \left| \frac{\ln x}{x} \right| dx$  equal to? /  $\int_{e^{-1}}^{e^2} \left| \frac{\ln x}{x} \right| dx$  fdl ds cjkj gN

- (a)  $\frac{3}{2}$  (b)  $\frac{5}{2}$
- (c) 3 (d) 4

101. The variance of 20 observations is 5. If each observation is multiplied by 3, then what is the new variance of the resulting observations? / 20 qk. kka dk chl j.k 5 gN ; fn qR; d qk. k dks 3 l s xqkk fd; k tk, j rks ifj. kkeh qk. kka dk u; k chl j.k D; k gkxk\

- (a) 5 (b) 10
- (c) 15 (d) 45

102. The mean of a group of 100 observations was found to be 20. Later it was found that four observations were incorrect, which were recorded as 21, 21, 18 and 20.

What is the mean if the incorrect observations are omitted? / 100 qk. kka ds, d l eg dk ek/; 20 qklr gNvka ckn es; g ik; k x; k fd pkj qk. k xyr Fkj ftUga 21] 21] 18 vkj 20 ntz fd; k x; k Fkka ; fn xyr qk. kka dks NkM+ fn; k tk, j rks ek/; D; k gN

- (a) 18 (b) 20
- (c) 21 (d) 22

103. A committee of two persons is constituted from two men and two women. What is the probability that the committee will have only women? / दो पुरुषों और दो efgykvka es l s nks 0; fDr; ka dh , d l febr cukbz tkrh gN D; k qk; drk gN fd l febr es dny efgyk, j gkxk\

- (a)  $\frac{1}{6}$  (b)  $\frac{1}{3}$
- (c)  $\frac{1}{2}$  (d)  $\frac{2}{3}$

104. A question is given to three students A, B and C whose chances of solving it are  $\frac{1}{2}$ ,  $\frac{1}{3}$  and  $\frac{1}{4}$  respectively. What is the probability that the question will be solved? / rhu विद्यार्थियों और को एक प्रश्न दिया गया है, जिसे हल करने की mudh qk; drk, j क्रमशः और हैं। क्या qk; drk gN fd प्रश्न हल gk tk, xk\

- (a)  $\frac{1}{24}$  (b)  $\frac{1}{4}$
- (c)  $\frac{3}{4}$  (d)  $\frac{23}{24}$



105. The mean weight of 150 students in a certain class is 60 kg. The mean weight of boys in the class is 70 kg and that of girls is 55 kg. What is the number of boys in the class? / fdl h d{kk ea 150 fo| kfkz; ka dk ek/; out 60 fdxk gA d{kk ea yMdk dk ek/; out 70 fdxk gS vkj yMfd; ka dk 55 fdxk gA d{kk ea yMdk dh l a; k fdruh gA

- (a) 50 (b) 55  
(c) 60 (d) 100

106. For two dependent events A and B, it is given that  $P(A) = 0.2$  and  $P(B) = 0.5$ . If  $A \subseteq B$ , then the values of conditional probabilities  $P(A|B)$  and  $P(B|A)$  are respectively / nks vkfJr ?kVukvkaA vkj B ds fy, ; g fn; k x; k gS fd  $P(A) = 0.2$  vkj  $P(B) = 0.5$  gA ; fn  $A \subseteq B$  gJ rks l cfrck ckf; drkvka  $P(A|B)$  vkj  $P(B|A)$  ds eku क्रमशः क्या है\

- (a)  $\frac{2}{5}, \frac{3}{5}$   
(b)  $\frac{2}{5}, 1$   
(c)  $1, \frac{2}{5}$

(d) Information is insufficient / l ipuk vi ; kJr gS

107. A point is chosen at random inside a circle. What is the probability that the point is closer to the centre of the circle than to its boundary? /fdl h oRr ds vlnj , d fclnq ; knfPNd : i l s pjk tkrk gA D; k ckf; drk gS fd og fclnq ml oRr dh l hek dh vi s{kk ml ds d{æ ds vf/kd l ehi gkA

- (a)  $\frac{1}{5}$  (b)  $\frac{1}{4}$   
(c)  $\frac{1}{3}$  (d)  $\frac{1}{2}$

108. If two regression lines between height (x) and weight (y) are  $4y - 15x + 410 = 0$  and  $30x - 2y - 825 = 0$ , then what will be the correlation coefficient between height and weight? / ; fn  $4y - 15x + 410 = 0$  vkj  $30x - 2y - 825 = 0$  Åpkbz (x) vkj (y) Hkj ds chip l ekJ; . k js{kk, j gJ rks Åpkbz vkj Hkj ds chip l gl Ecl/k xq kkd D; k gkxk\

- (a)  $\frac{1}{3}$  (b)  $\frac{1}{2}$   
(c)  $\frac{2}{3}$  (d)  $\frac{3}{4}$

109. In an examination, 40% of candidates got second class. When the date are represented by a pie chart, what is the angle corresponding to second class? /fdl h i jh{kk ea 40% vH; ffkz; ka us f}rh; ;s kh ckf; dhA ; fn vkqMka dks , d oRrkjs{k ea fu; fi r fd; k x; k gJ rks f}rh; ;s kh ds l ær dks k dk eku D; k gA

- (a)  $40^\circ$  (b)  $90^\circ$   
(c)  $144^\circ$  (d)  $320^\circ$

110. Consider the following statements: /fuEufyf[kr dFkuka i j fopkj dhft, %

**Statement 1:** Range is not a good measure of dispersion. / i jkl ] i fj {k i .k dk , d vPNk eki ugha gA  
**Statement 2:** Range is highly affected by the existence of extreme values. / i jkl ] pje ekuka ds vLrRo l s cgr vf/kd cHkfor gkxk gA

Which one of the following is correct in respect of the above statements? / mi ; Dr dFkuka ds l nHkz ea fuEufyf[kr ea l s dk&l k l gh gA

(a) Both Statement 1 and Statement 2 are correct and Statement 2 is the correct explanation of Statement 1 /dFku 1 vkj dFku 2 nkuka l gh gJ vkj dFku 2] dFku 1 dk sahi spstikरण है

(b) Both Statement 1 and Statement 2 are correct but Statement 2 is not the correct explanation of Statement 1 /dFku 1 vkj dFku 2 nkuka l gh gJ yfdu kथन 2, कथन 1 का sahi spstikरण नहीं है

(c) Statement 1 is correct but Statement 2 is not correct /dFku 1 l gh gJ yfdu dFku 2 xyr gS

(d) Statement 2 is correct but Statement 1 is not correct /dFku 2 l gh gJ yfdu dFku 1 xyr gS

111. A card is drawn from a well-shuffled ordinary deck of 52 cards. What is the probability that it is an ace? /vPNh rjg l s Q/h xbz 52 पत्तों की साधारण ताश की एक गड्डी ea l s, d iRrk fudkyk tkrk gA bl ckr dh D; k ckf; drk gS fd og bDdk gA

- (a)  $\frac{1}{13}$  (b)  $\frac{2}{13}$   
(c)  $\frac{3}{13}$  (d)  $\frac{1}{52}$

112. If the data are moderately non-symmetrical, then which one of the following empirical relationships is correct? / ; fn nRr l rfyR : i l s vl efer gJ rks fuEufyf[kr vkuHkfod l Ecl/k ea l s dk&l k , d l gh gA

- (a)  $2 \times \text{Standard deviation} = 5 \times \text{Mean deviation}$  /  $2 \times \text{ekud fopyu} = 5 \times \text{vkj r fopyu}$   
(b)  $5 \times \text{Standard deviation} = 2 \times \text{Mean deviation}$  /  $5 \times \text{ekud fopyu} = 2 \times \text{vkj r fopyu}$   
(c)  $4 \times \text{Standard deviation} = 5 \times \text{Mean deviation}$  /  $4 \times \text{ekud fopyu} = 5 \times \text{vkj r fopyu}$   
(d)  $5 \times \text{Standard deviation} = 4 \times \text{Mean deviation}$  /  $5 \times \text{ekud fopyu} = 4 \times \text{vkj r fopyu}$

113. Data can be represented in which of the following forms? /fuEufyf[kr ea l s fdl : i dks cLnr fd; k tk l drk gA

1. Textual form /शाब्दिक रूप
2. Tabular form / l kj .khc) : i
3. Graphical form /vkys[kh : i

Select the correct answer using the code given below.

/ulps fn, x, dM dk c; ks dj l gh mRrj pfu, A

- (a) 1 and 2 only / dpy 1 vkj 2  
(b) 2 and 3 only / dpy 2 vkj 3  
(c) 1 and 3 only / dpy 1 vkj 3  
(d) 1, 2 and 3 / 1] 2 vkj 3

114. For given statistical data, the graphs for less than ogive and more than ogive are drawn. If the point at which the two curves intersect is P, then abscissa of point P gives the value of which one of the following measures of central tendency? /fn, x, l kf [; dh; vkqMka ds fy,] vktkbo l s de ds fy, vkj vktkbo l s vf/kd ds fy, xkQ [khs x, gA ; fn nks oDka dk cfrPNnu fclnq P gJ rks fclnq P dk Hkqt] d{æh; cOfRr ds fuEu eki ka ea l s dk&l k eku nrk gA

- (a) Median /ekf; dk  
(b) Mean /ek/;  
(c) Mode /cgjy d

(d) Geometric mean /xq kkRrj ek/;

115. Consider the following statements: /fuEufyf[kr dFkuka ij fopkj dhft, %

1. Two events are mutually exclusive if the occurrence of one event prevents the occurrence of the other. /nks ?kVuk, ij kjLi fjd : i l s vi oftr g; ; fn , d ?kVuk dk ?kVr gkuk nil jh ?kVuk ds ?kVr gkus dks jkdrk gA

2. The probability of the union of two mutually exclusive events is the sum of their individual probabilities. /nks ij kjLi fjd : i l s vi oftr ?kVukka ds l feeyu dh ckf; drkj mudh i Fkd-ckf; drkva ds ; kx ds cjkj gA

Which of the above statements is/are correct? /mi ; Dr dFkuka ea l s dku&l k@l s l gh g@gA

- (a) 1 only/doy 1  
(b) 2 only/doy 2  
(c) Both 1 and 2 /1 vkj 2 nkuka  
(d) neither 1 nor 2 /u rks 1] u gh 2

116. If the regression coefficient of  $x$  on  $y$  and  $y$  on  $x$  are  $-\frac{1}{2}$  and  $-\frac{1}{8}$  respectively, then what is the correlation coefficient between  $x$  and  $y$ ? /fn  $x$  dk  $y$  ij rFkk  $y$  dk  $x$  ij l ekJ; .k xq kkd क्रमशः  $-\frac{1}{2}$  vkj  $-\frac{1}{8}$  g; rks  $x$  vkj  $y$  ds chip l gl Ecl/k xq kkd D; k gA

- (a)  $-\frac{1}{4}$  (b)  $-\frac{1}{16}$   
(c)  $\frac{1}{16}$  (d)  $\frac{1}{4}$

117. A sample of 5 observations has mean 32 and median 33. Later it is found that an observation was recorded incorrectly as 40 instead of 35. If we correct the data, then which one of the following is correct? /5 c; k. kka ds , d प्रतिदर्श का माध्य 32 तथा माधिका 33 है। बाद में यह i k; k x; k fd , d c; k. k xyrh l s 35 ds LFku ij 40 ntZ dj fy; k x; k FkA ; fn ge nRr dks Bhid djrs g; rks fuEufyf[kr ea l s dku&l k l gh gA

- (a) The mean and median remain the same /ek/; vkj ekf/; dk ogh cus jgrs gA  
(b) The median remains the same but the mean will decrease /ekf/; dk ogh jgrh g; fallr ek/; de gks tkrk gA  
(c) The mean and median both will decrease / ek/; vkj ekf/; dk nkuka de gks tkrs gA  
(d) The mean remains the same but median will decrease /ek/; ogh jgrk g; fallr ekf/; dk de gks tkrh gA

118. If two fair dice are thrown, then what is the probability that the sum is neither 8 nor 9? /fn nks mfpr i kl s Qds tkrs g; rks D; k ckf; drk g; fd ; kxQy u rks 8 g; u gh 9\

- (a)  $\frac{1}{6}$  (b)  $\frac{1}{4}$   
(c)  $\frac{3}{4}$  (d)  $\frac{5}{6}$

119. Let  $A$  and  $B$  are two mutually exclusive events with  $P(A) = \frac{1}{3}$  and  $P(B) = \frac{1}{4}$ . What is the value of  $P(\bar{A} \cap \bar{B})$ ? /eku yhf, fd  $A$  vkj  $B$  nks ij kjLi fjd vi oftr ?kVuk, ij g; tgk;  $P(A) = \frac{1}{3}$  vkj  $P(B) = \frac{1}{4}$  gA  $P(\bar{A} \cap \bar{B})$  dk eku D; k gA

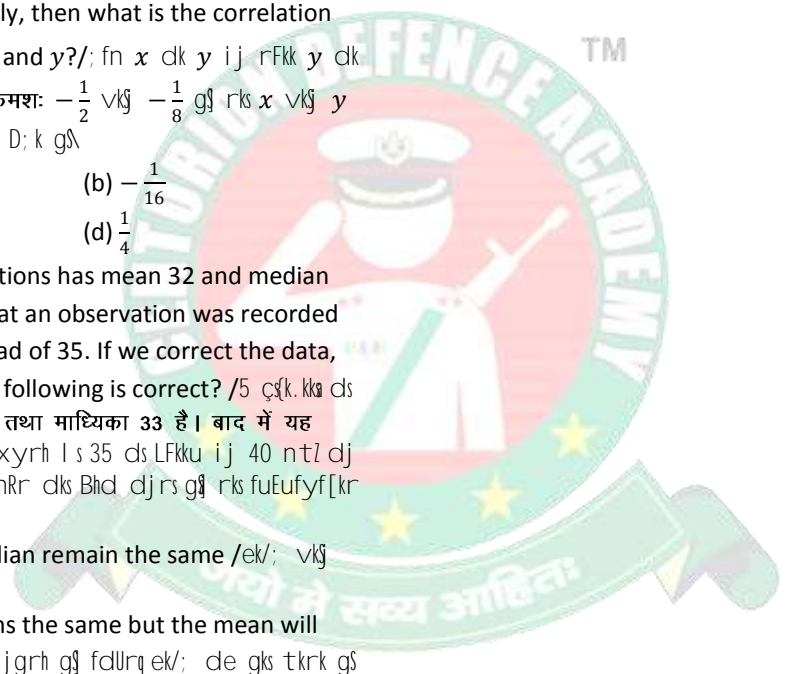
- (a)  $\frac{1}{6}$  (b)  $\frac{1}{4}$

(c)  $\frac{1}{3}$

(d)  $\frac{5}{12}$

120. The mean and standard deviation of a binomial distribution are 12 and 2 respectively. What is the number of trials? /fd l h f} in c. Vu dk ek/; vkj eku fopyu क्रमशः 12 vkj 2 gA vfHk; kxka Wi jh{k. kka dh l a; k D; k gA

- (a) 2 (b) 12  
(c) 18 (d) 24





# NDA MATH MODEL TEST

## ANSWER KEY

1.	A	31.	A	61.	B	91.	A
2.	C	32.	D	62.	C	92.	C
3.	A	33.	C	63.	C	93.	A
4.	A	34.	D	64.	D	94.	D
5.	A	35.	B	65.	C	95.	C
6.	B	36.	A	66.	D	96.	B
7.	D	37.	B	67.	B	97.	C
8.	A	38.	A	68.	B	98.	C
9.	C	39.	D	69.	A	99.	A
10.	D	40.	D	70.	B	100.	B
11.	A	41.	C	71.	B	101.	D
12.	C	42.	A	72.	B	102.	B
13.	C	43.	C	73.	D	103.	A
14.	C	44.	A	74.	A	104.	C
15.	B	45.	B	75.	B	105.	A
16.	C	46.	A	76.	D	106.	B
17.	A	47.	A	77.	C	107.	B
18.	A	48.	A	78.	C	108.	B
19.	B	49.	B	79.	C	109.	C
20.	B	50.	B	80.	C	110.	A
21.	A	51.	D	81.	D	111.	A
22.	C	52.	D	82.	A	112.	C
23.	B	53.	A	83.	A	113.	D
24.	A	54.	A	84.	A	114.	A
25.	D	55.	B	85.	D	115.	C
26.	B	56.	B	86.	D	116.	A
27.	C	57.	A	87.	A	117.	B
28.	B	58.	A	88.	C	118.	C
29.	D	59.	A	89.	A	119.	D
30.	B	60.	A	90.	B	120.	C